# CHAPTER 9: POLYNOMIALS \& FAC'TORING 

Multiplying Polynomials

## OBJECTIVES

- I can multiply a monomial to a polynomial
- I can multiply two binomials
- I can multiply a binomial \& a trinomial


## PART 1: DISTRIBUTIVE PROPERTY

$a(b+c)=a b+a c$

$$
\begin{aligned}
6(x-2) & =6(x)+6(-2)=6 x-12 \\
-3(4 x-1) & =-3(4 x)+-3(-1)=-12 x+3
\end{aligned}
$$

## PART 2: DOUBLE DISTRIBUTION

(1) Simplify each product.
a. $(6 h-7)(2 h+3)$
b. $(5 m+2)(8 m-1)$
c. $(9 a-8)(7 a+4)$

## PART 2: DOUBLE DISTRIBUTION

Simplify.
22. $(x+9)\left(x^{2}-4 x+1\right) \quad$ 23. $(a-4)\left(a^{2}-2 a+1\right)$

## PART 3: SPECIAL CASES

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4) Find each product.
    a. (d+11)(d-11) b. (c2+8)(c2-8) c. }(9\mp@subsup{v}{}{3}+\mp@subsup{w}{}{4})(9\mp@subsup{v}{}{3}-\mp@subsup{w}{}{4}
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## PART 3: SPECIAL CASES

| Rule $\quad$ The Square of a Binomial |
| :--- |
| $(a+b)^{2}=a^{2}+2 a b+b^{2}$ <br> $(a-b)^{2}=a^{2}-2 a b+b^{2}$ <br> The square of a binomial is the square of the first term plus twice the product <br> of the two terms plus the square of the last term. |
| Rule The Difference of Squares |
| $(a+b)(a-b)=a^{2}-b^{2}$ <br> The product of the sum and difference of the same two terms is the difference <br> of their squares. |

$(a+b)^{2}=a^{2}+2 a b+b^{2}$
$(a-b)^{2}=a^{2}-2 a b+b^{2}$
of the two terms plus the square of the last term.
$(a+b)(a-b)=a^{2}-b^{2}$
The product of the sum and difference of the same two terms is the difference of their squares.

## CAN YOU?? PROVE IT!!

- I can multiply a monomial to a polynomial
- I can multiply two binomials
- I can multiply a binomial \& a trinomial
- Go back and finish all the blank problems ©

